

02/01/2020

Lesson no- 11
Basic Geometrical Concept.

1 Summary:-

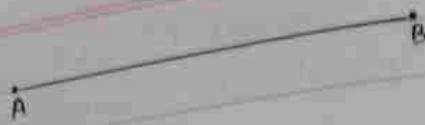
1) The word Geometry has been derived from the Greek word Geometron in which geo means earth and metron means to measure.

2) BASIC ELEMENTS OF GEOMETRICAL FIGURES :-

⇒ POINT(.) : A point gives an idea of a location by making a dot with sharp pencil on a paper. It has no length, breadth, or thickness. It just has a position and only its location can be determined.

* LINE:- A line is a collection of points, which can be extended endlessly on both the sides. It has length only. It has neither breadth nor thickness.

* LINE SEGMENT:-(—) A line segment is a part of a line that is bound by two distinct end points. It has a definite length but no breadth and thickness. It is the shortest distance between two points. A line segment from A to B is represented by seg AB or $\overline{AB}$ or $\overline{BA}$.

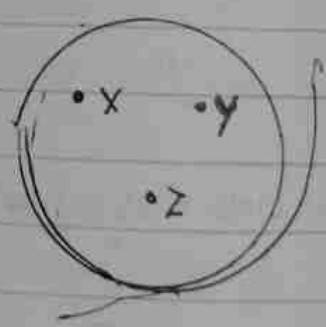
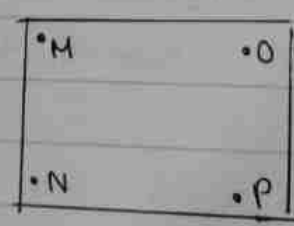
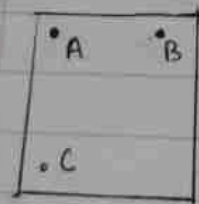


* Ray: A ray is also a part of a line which has only one end point and can be extended endlessly in one direction. A ray has no thickness. Represent as $\overrightarrow{AB}$. Here A is fixed and is the point on the path of the ray.



* PLANE: A plane is a flat smooth surface that extends indefinitely in all directions. It has length and breadth but no thickness.

A plane is denoted by taking 3 or more points on it which don't lie on the same line.

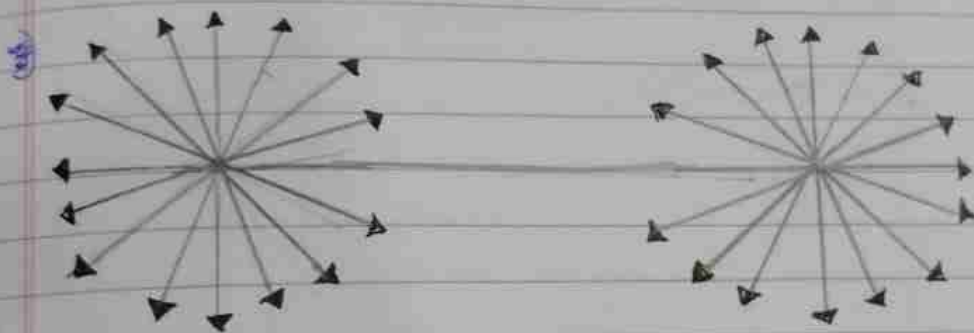


classmate
Date _____
Page _____

★ INCIDENCE PROPERTIES IN A PLANE:-

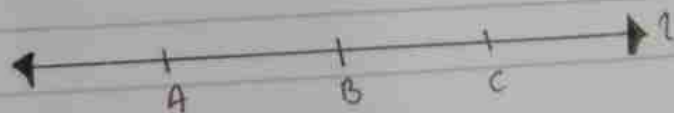
The relationship between a point and a line in a plane is called the incidence property.

- 1) Infinite number of lines can be drawn passing through a given fixed point in a plane.
- 2) One and only one line can be drawn passing through two given points in a plane.

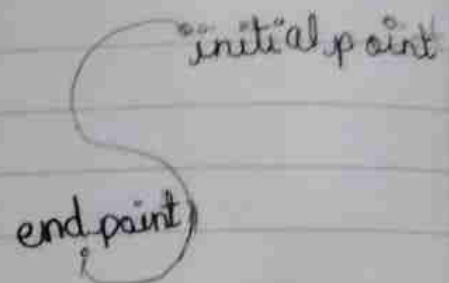
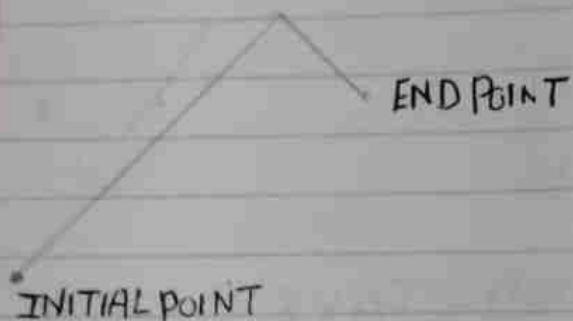


★ COLLINEAR POINTS:-

⇒ Two or more points are said to be collinear if they lie on the same line in a plane. This line is called "LINE OF COLLINEARITY".



- classmate
DATE _____
PAGE _____
- * OPEN AND CLOSED FIGURES :-
 =) CLOSED: Figures in which initials and end points coincide with each other are called closed figures.
 OPEN: Figure with different initials and end points are called OPEN Figures.



* POLYGONS :-

Simple closed figures having three or more line segments are called polygons.

* CURVILINEAR AND LINEAR BOUNDARIES :-

Curvilinear: Curvilinear means curved line.

So a boundary containing only curved lines or surfaces is called a curvilinear boundary.

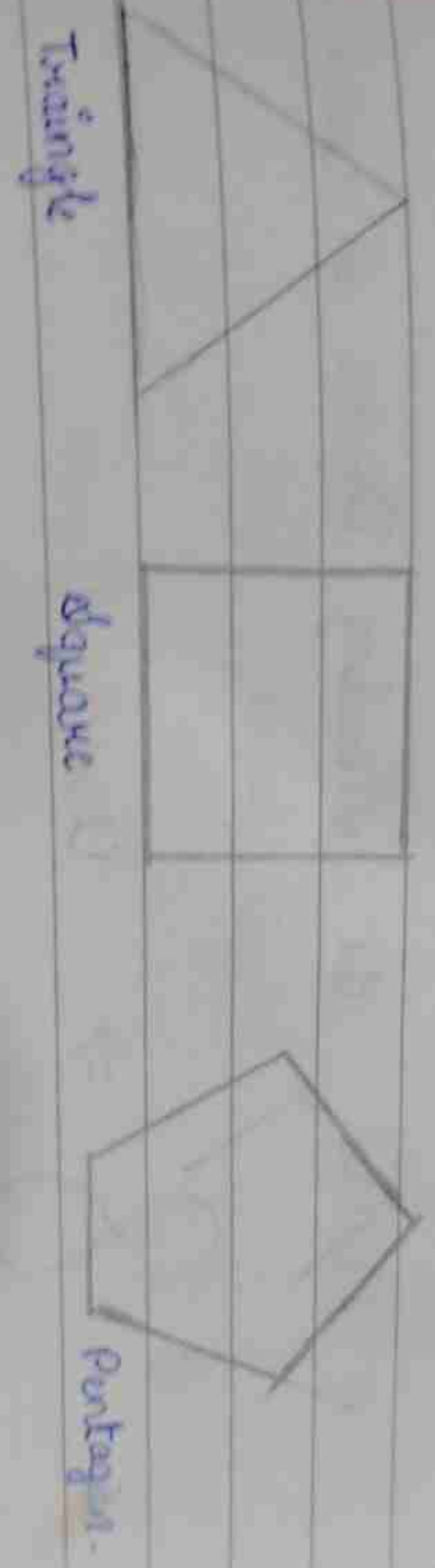


CIRCLE



OVAL

LINEAR : linear means straight line. So a boundary containing only ~~one~~ line segments or straight lines are called • linear boundaries.



Triangle

Square

Pentagon

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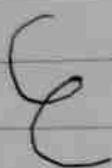
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Page

Exercise 11.1

I identify the following figures as closed or open

a)  $\Rightarrow$ closed figure

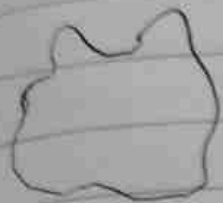
b)  $\Rightarrow$ open figure

c)  $\Rightarrow$ closed figure

d)  $\Rightarrow$ open figure

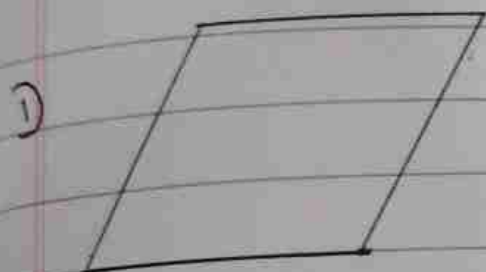
e)  $\Rightarrow$ open figure.

1)  $\Rightarrow$ closed figure

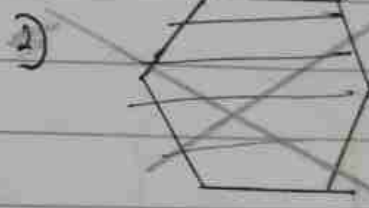
2)  $\Rightarrow$ closed figure

3) 6 $\Rightarrow$ Open figure.

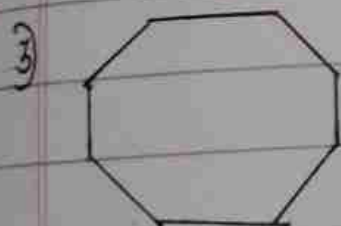
II Name the following polygons:-



$\downarrow$
Quadrilateral

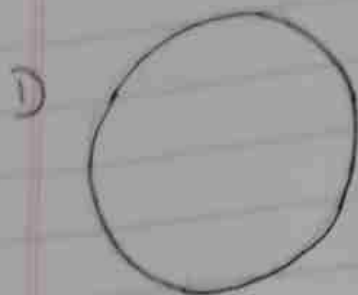


2) 
 $\downarrow$
Hexagon



$\downarrow$
Octagon

III Identify the following boundaries as curvilinear or linear.



$\Rightarrow$

Curvilinear boundary

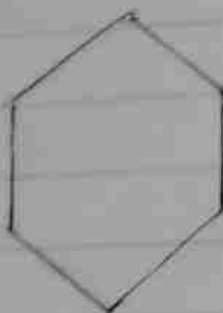
2)



$\Rightarrow$

linear boundary

3)



$\Rightarrow$

Hexagon linear boundary

4)



$\Rightarrow$

linear boundary

IV Give 1 example from your daily life for the following

a) Plain surface :-
⇒ Wall.

b) Curved surface :-
⇒ Gas cylinder.

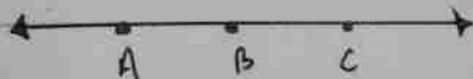
c) Linear boundary :-
⇒ Geometry box

d) Curved boundary :-
⇒ Eggs.

e) Partly curvilinear and partly linear boundaries :-
⇒ Protractor.

V Study the figure, and answer the questions.

* Fig -

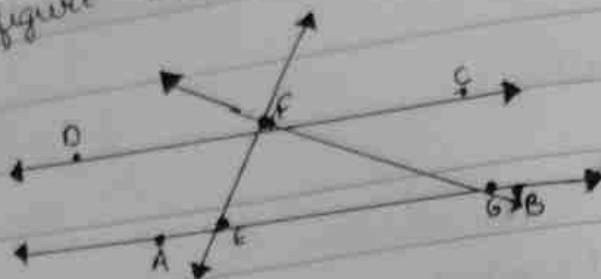


1) Name the three points :-
⇒ A, B and C.

2) Name the 3 line segments :-
⇒ $\overline{AC}$, $\overline{CB}$, $\overline{AB}$.

II In the figure below, name 4 collinear points.

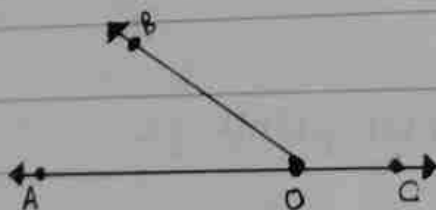
Fig ->



$\Rightarrow$ A, E, B, G are some collinear points.

VII Study the adjacent figure and fill in table given below.

POINTS	A, O, B, C
LINE	$\overleftrightarrow{CA}$
PLANE	$\overleftrightarrow{AB}$, $\overleftrightarrow{BC}$ and $\overleftrightarrow{AC}$
RAYS	$\overrightarrow{OB}$, $\overrightarrow{OA}$ and $\overrightarrow{OC}$



VIII Answer the following:-

2) How many lines can you draw passing through just 2 ~~lines~~ points?

$\Rightarrow$ Only one.

b) How many lines can you draw through a single point?

$\Rightarrow$ Infinite.

c) What is the maximum number of points at which 3 lines can intersect in a plane?

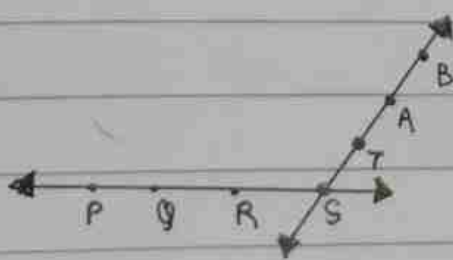
$\Rightarrow$ One.

d) Points A, B, C are collinear. Can you draw another line passing through A, B, C?

$\Rightarrow$ No. ~~if~~ you can't.

IX The points P, Q, R, & S are collinear. If points S, T, A and B are collinear, then will the points P, Q, R, S, T, A, B always be collinear? Explain with a diagram.

$\Rightarrow$ No, The points will not always be collinear.



I In how many ways can you name a ray given



$\Rightarrow$ In three ways: $\overrightarrow{AB}$, $\overrightarrow{BC}$, $\overrightarrow{AC}$

II Name the given line in 5 different ways:-

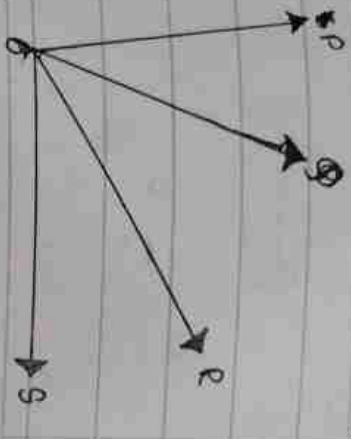


$\Rightarrow$ $\overleftrightarrow{PQ}$, $\overleftrightarrow{QP}$, and l

Exercise 11.2

stay given below

I How many angles are formed in the figure? Write the names and the adjacent angles also.



Adjacent angles: $\angle ROS$ and $\angle ROQ$.

$\angle ROQ$ and $\angle QOP$, $\angle ROS$ and $\angle ROP$,

$\angle QOP$ and $\angle SOP$.

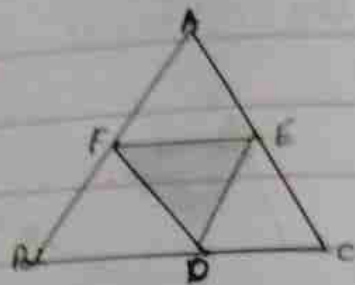
$\Rightarrow$ There are totally 6 angles formed :-

$\angle ROS$, $\angle ROQ$, $\angle SOQ$, $\angle QOP$, $\angle ROP$, $\angle SOP$.

I Take three collinear points and join them. What figure do you get? If the points are ~~collinear~~ non-collinear, then what figure do you get after joining three points?

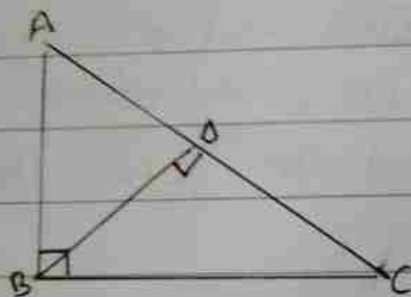
$\Rightarrow$ If we join three collinear points, we get a line segment. If you join three non-collinear points you get a straight line triangle.

- III In the given figure, find the
- Number of triangles and name them
 - Triangles with vertex E.
 - Sides opposite to vertex D.



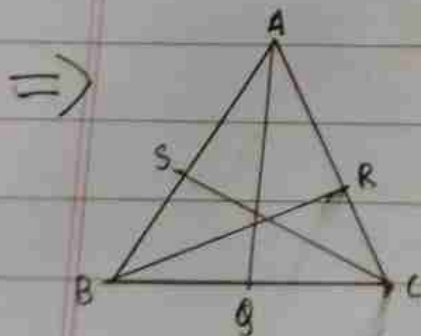
- $\Rightarrow$ a) $\rightarrow$ triangles: $\triangle AEF$, $\triangle ABC$, $\triangle EDC$, $\triangle FDB$, $\triangle DEF$
 b) $\rightarrow \triangle AFE$, $\triangle FED$, $\triangle EDC$
 c) $\rightarrow FB, EF, EC$

- IV Identify the altitudes of triangle ABC



$\Rightarrow AB, BC$ and AD

- V Draw a rough sketch of a triangle ABC. Name its vertices, sides and angles, all ~~medians~~ medians of $\triangle ABC$.



Vertices: A, B, C

Sides: AB, BC, AC

Angles: $\angle A, \angle B, \angle C$

II Two angles of a triangle are in the ratio $2:3$, and its third angle is 80° . Find the other two angles of the triangle.

$\Rightarrow$ Given,

Two angles are in the ratio $2:3$ i.e. $\angle A : \angle B$

$$\angle C = 80^\circ, \angle A = 2x, \angle B = 3x$$

$$\text{sum of angles in } \triangle ABC = 180^\circ$$

$$\therefore 2x + 3x + 80 = 180^\circ$$

$$5x + 80 \rightarrow = 180^\circ$$

$$5x = 180^\circ - 80^\circ$$

$$5x = 100^\circ$$

$$x = \frac{100^\circ}{5} \therefore x = 20^\circ$$

$$\therefore \angle A = 2x = 2 \times 20 = 40$$

$$\angle B = 3x = 3 \times 20 = 60$$

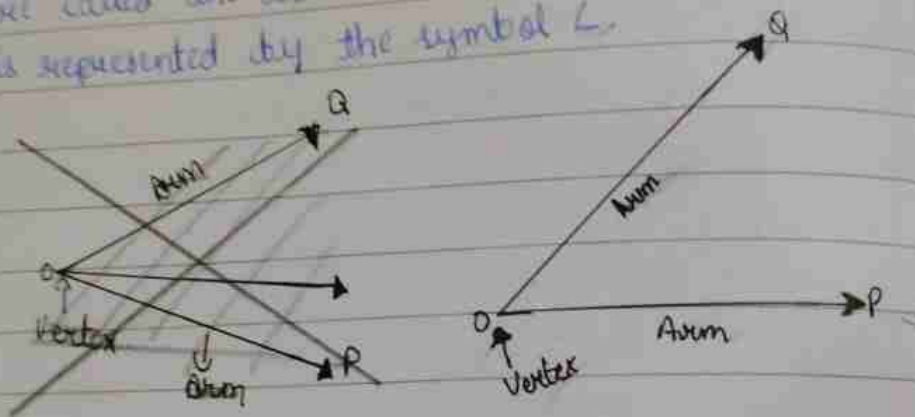
$$\angle A + \angle B + \angle C = 180^\circ$$

$$40 + 60 + 80 = 180^\circ //$$

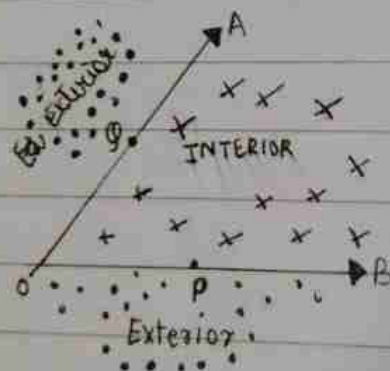
* Summary :-

1. ANGLES :-

When two rays have a common initial point, an angle is formed. The common initial point is called the vertex of the angle, and the two rays forming the angle are called the arms or sides of the angle. An angle is represented by the symbol $\angle$.



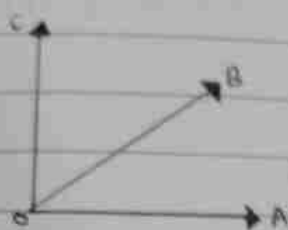
EXTERIOR AND INTERIOR OF AN ANGLE



ADJACENT ANGLES :-

Two angles in a plane are said to be adjacent if they have :

- (i) A common vertex.
- (ii) A common arm.
- (iii) The other two non-common arms are on the opposite sides of the common arm.



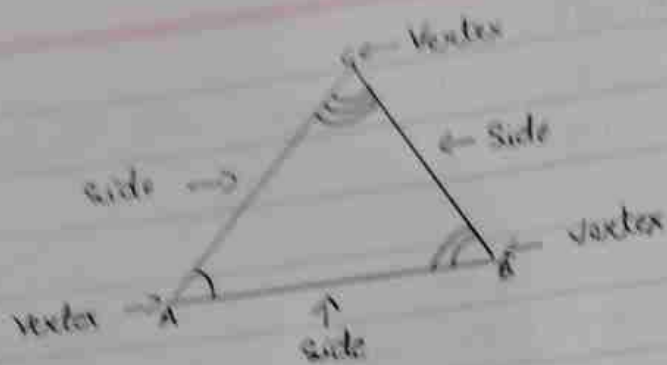
LINEAR PAIR :- If the sum of $\angle AOB$ and $\angle BOC$ ^{is 180°} then adjacent we say these two adjacent angles form a linear pair.

MAGNITUDE OF AN ANGLE :-

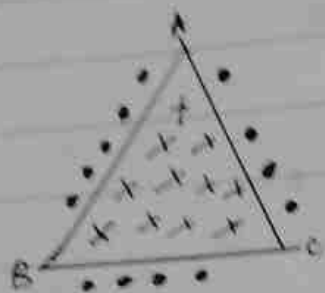
The size or magnitude of an angle depends upon the opening ~~of~~ ~~an~~ ~~arm~~ between the arms. It doesn't depend on the length of an arm.

TRIANGLES :-

A closed figure bound by three line segments is called a triangle. The sum of angles of a triangle is 180° .

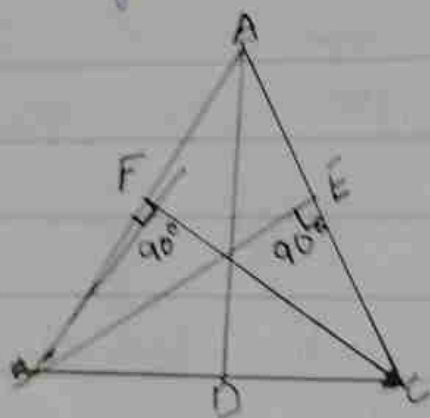


INTERIOR AND EXTERIOR OF A TRIANGLE :-



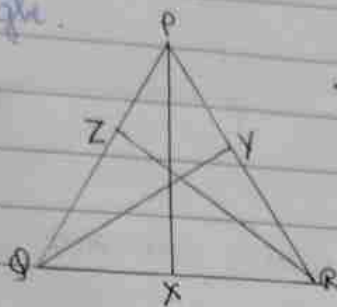
ALTITUDE OF A TRIANGLE :-

The perpendicular drawn from the vertex of a triangle to its opposite side is called an altitude of a triangle.



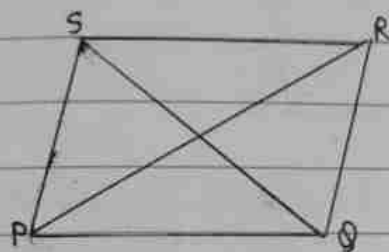
MEDIAN OF A TRIANGLE :-

The line joining the midpoint of a side of a triangle to its opposite vertex is called a median of a triangle.



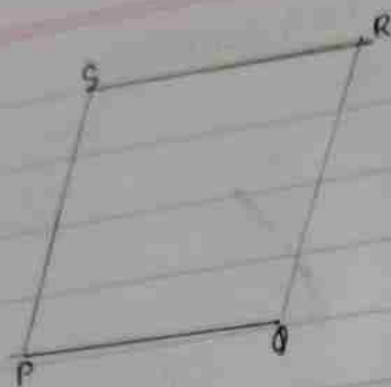
QUADRILATERALS :-

A closed figure bound by 4 line segments is called a quadrilateral. The line segments joining the opposite vertices of a quadrilateral are called its diagonals.



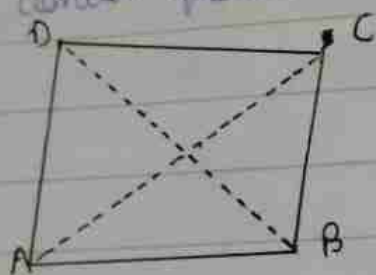
ADJACENT SIDES :-

In a quadrilateral PQRS (The fig - below), The two sides PQ and QR have a common end point 'Q'. Such sides with a common end point are called adjacent sides.

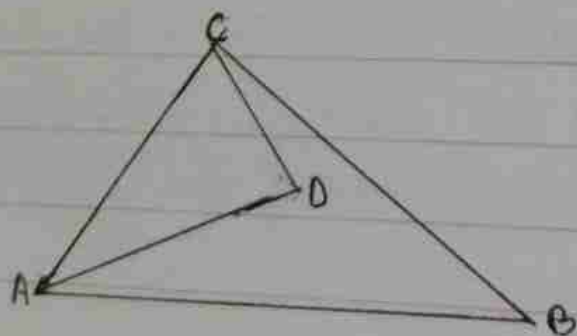


CONVEX AND CONCAVE QUADRILATERALS :-

CONVEX QUADRILATERAL: A quadrilateral if no line segment joining any two vertices of the quadrilateral lies outside the boundary of the quadrilateral, it is called convex quadrilateral.

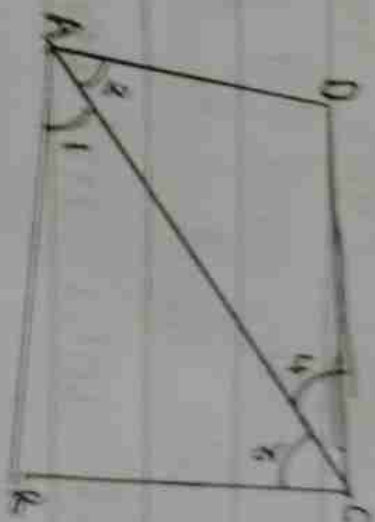


CONCAVE QUADRILATERAL: If at least one line segment joining the vertices lies outside the boundary of the quadrilateral, then it is called concave quadrilateral.



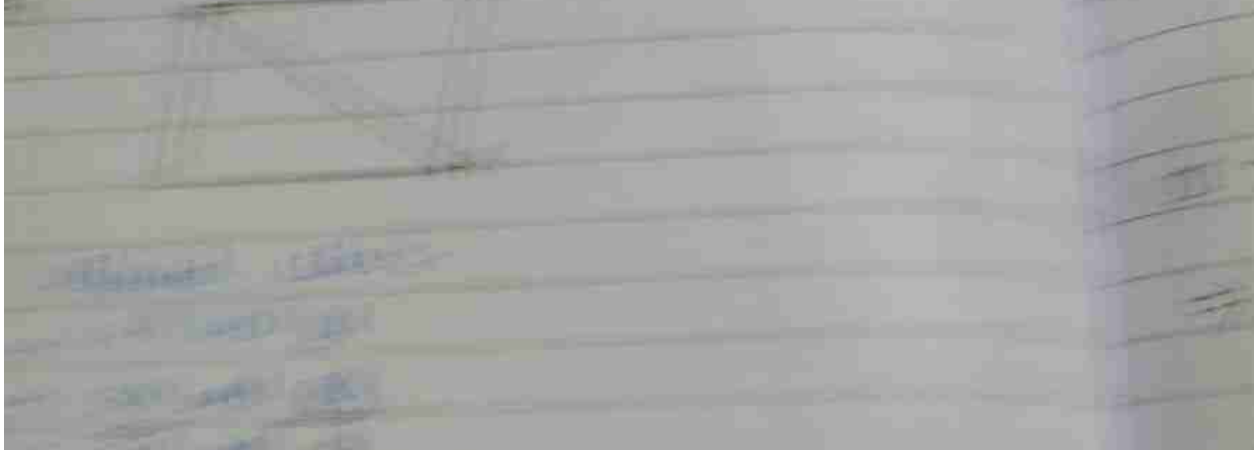
"A triangle has three altitudes and three medians"

ANGLE SUM PROPERTY OF A QUADRILATERAL
 The sum of all angles of a quadrilateral is 360° .
 Draw a quadrilateral ABCD with one of its diagonals AC.



1. Introduction
 2. Objectives
 3. Methodology
 4. Results
 5. Conclusion

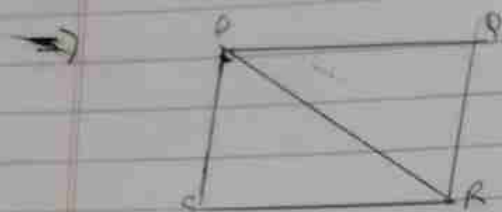
The first part of the report is the introduction, which provides a brief overview of the project. This is followed by the objectives, which state the purpose of the study. The methodology section describes the methods used to collect and analyze data. The results section presents the findings of the study, and the conclusion summarizes the main points.



The diagram illustrates the relationship between the two line segments. It shows that they intersect at a point within the triangle, which is a key finding of the study. This intersection point is significant in understanding the geometric properties of the triangle and the lines drawn within it.

In conclusion, the study has shown that the two line segments intersect at a point inside the triangle. This result is consistent with the geometric principles that govern the behavior of lines within a triangle.

I. Draw a quadrilateral PQRS such that PR is one of its diagonals, and PQ and QR are adjacent sides of the quadrilateral. Name the other pairs of adjacent sides and opposite sides in this quadrilateral.



Adjacent sides:-

- PQ and QR
- SR and RQ
- PS and SR

Opposite sides:-

- PS and QR
- SR and PQ

II In the adjacent figure, Find the interior angles
=> sum of angles in a quadrilateral = 360°

$$\angle P + \angle Q + \angle R + \angle S = 360^\circ$$

$$45^\circ + 90^\circ + x + 90^\circ = 360^\circ$$

$$x + 225 = 360^\circ$$

$$x = 360 - 225$$

$$x = 135 //$$

$$\therefore 45 + 90 + 135 + 90 = 360^\circ$$

II The angles of a quadrilateral are 100° , 80° , 130° and x° , Find the value of x .

=> sum of angles in a quadrilateral = 360°

$$\therefore 100^\circ + 80^\circ + 130^\circ + x^\circ = 360^\circ$$

$$310^\circ + x = 360^\circ$$

$$x = 360^\circ - 310^\circ$$

$$x = 50^\circ$$

$$\therefore 100^\circ + 80^\circ + 130^\circ + 50^\circ = 360^\circ //$$

IV) All angles are same of a quadrilateral, find each angle.
 The angles of a quadrilateral ~~for~~ the adjacent figure find the measure of $\angle Q$.



$$x + x + x + x = 360^\circ$$

$$4x = 360$$

$$x = \frac{360}{4} = 90$$

$\therefore$ each angle $= 90^\circ$.

V) The angles of a quadrilateral are in the ratio $1:2:3:4$. Find the angles?

$\Rightarrow$ Ratio of 4 angles is given as $1:2:3:4$
 $\therefore$ sum of quadrilaterals ~~is~~ $= 360^\circ$

$$1x + 2x + 3x + 4x = 360^\circ$$

$$10x = 360^\circ$$

$$x = \frac{360}{10} = 36$$

$$1x = 1 \times 36 = 36$$

$$2x = 2 \times 36 = 72$$

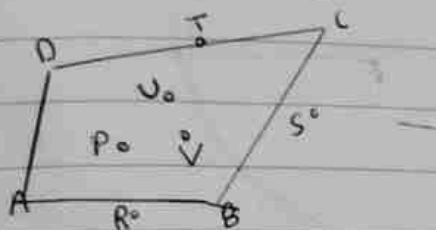
$$3x = 3 \times 36 = 108$$

$$4x = 4 \times 36 = 144$$

$$\text{Total} \rightarrow 360 //$$

II Write the points which lie:-

- in the interior of the quadrilateral ABCD.
- in the exterior of the quadrilateral ABCD.
- on the boundary of the quadrilateral ABCD.



$\Rightarrow$ a $\rightarrow$ P, U and V

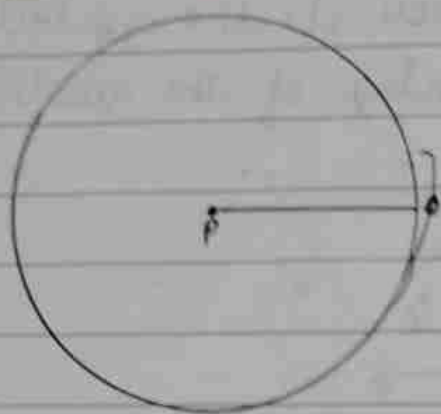
b $\rightarrow$ R and S

c $\rightarrow$ A, B, C, D and T.

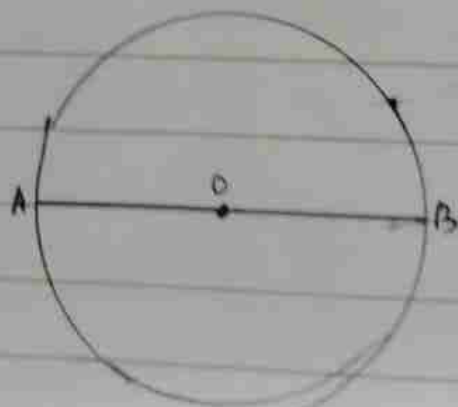
* Summary:-

↓
CIRCLES :- A circle is a closed figure made up of points in a plane that are at the same distance from a fixed point.

RADIUS :- This is a difference between the centre and any point on the boundary of the circle. The plural of radius is radii.



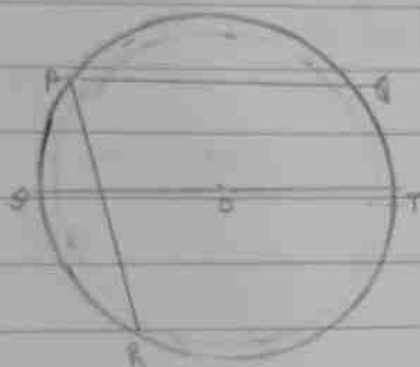
DIAMETER :- A boundary line segments with both its end point on the boundary of the circle and passing through the centre of the circle is called the diameter of the circle. $\text{Diameter} = 2 \times \text{radius}$.



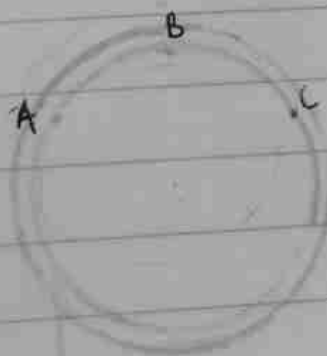
classmate
Date _____
Page _____

CIRCUMFERENCE :- The length of the boundary of circle is called circumference.

CHORD OF A CIRCLE :- A line segment whose end points lie on the circle is called a chord of a circle. The diameter of a circle is the longest chord of a circle.

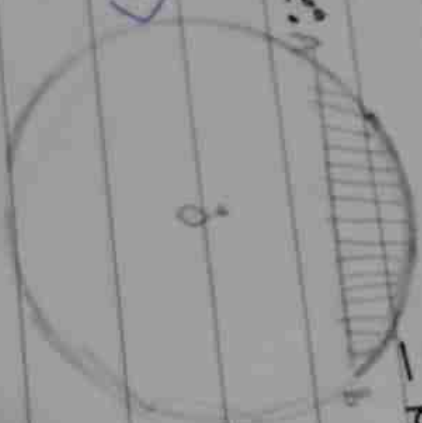


ARC OF A CIRCLE :- A part of a circle is called an arc and is usually named with three points.



MAJOR AND MINOR ARC: The bigger one is called major arc and the smaller one is called a minor arc.

segment of a circle:
A part of circle enclosed by the $\Rightarrow$ chord and an arc.



— Minor segment

— Major segment

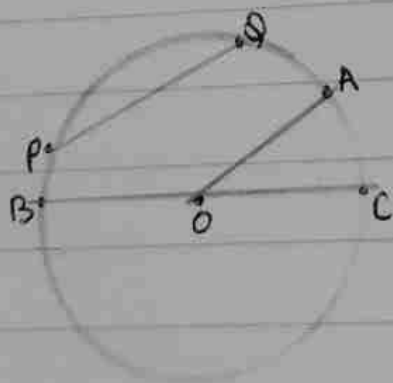
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Exercise 11.4

I Define the following:-

- 1) Diameter: A line segment with both its endpoints on the boundary of the circle. The plural of diameter is called the diameters of the circle.
- 2) Circumference: The length of the boundary of a circle is called circumference.
- 3) Chord: A line segment whose end points lie on the circle is called a chord of the circle. The diameter of a circle is the longest chord of the circle.

II Name the following parts of the given circle.



a) Radius :-
 $\Rightarrow OB, OC, OA$

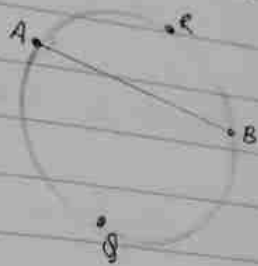
b) Diameter
 $\Rightarrow BC$

d) Semi-circle
 $\Rightarrow BRC, BQC$

c) Minor arc
 $\Rightarrow \widehat{AC}$

e) Chord
 $\Rightarrow PQ, RS$

III Name the arcs and classify them as minor & major



MINOR ARCS: $\widehat{ACB}$

MAJOR ARCS: $\widehat{ADB}$

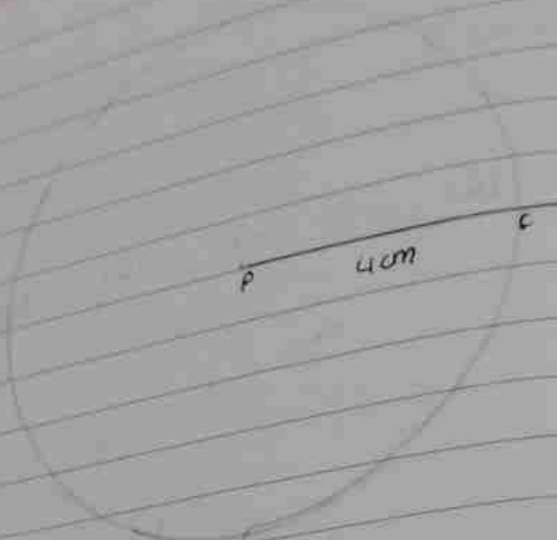
IV Give some examples of objects circular in shape.

$\Rightarrow$ Ball, Clock (circular one), pizza, plate, lemon etc.

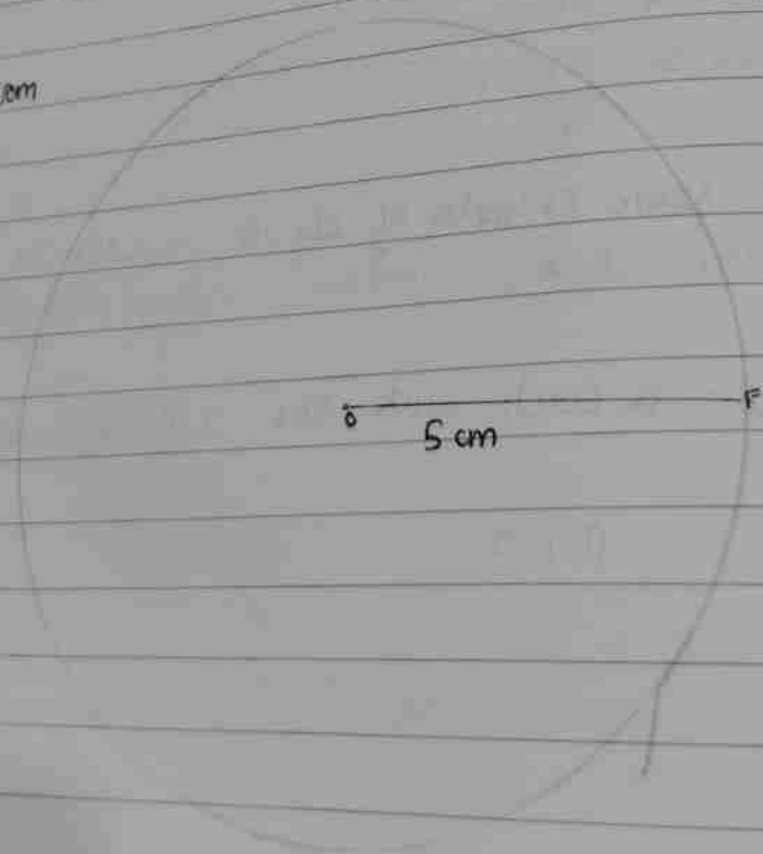
V Draw a circle with the following radius.

P.T.O

a) 4 cm



b) 5cm



VI Find the diameter with the following radius

1) 6 cm
 $\Rightarrow 6 \times 2 = 12 \text{ cm}$
 $\therefore \text{Diameter} = 12 \text{ cm}$

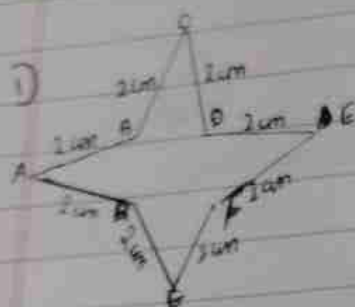
2) 3.5 cm
 $\Rightarrow 3.5 \times 2 = 7 \text{ cm}$
 $\therefore \text{Diameter} = 7 \text{ cm}$

VII Fill in the blanks:-

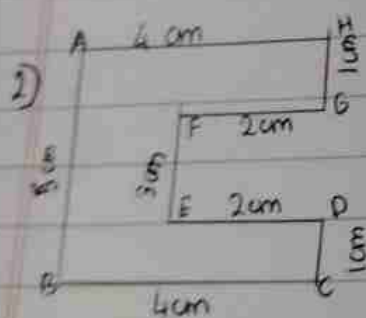
- A circle consists of an infinite number of radii & diameter.
- All radii of a circle are equal.
- The longest chord of a circle is known as diameter.
- Boundary of a circle is called circumference.
- A part that lies between two distinct on a circle arc.
- The path of a point moving equidistant from a centre point forms a circle.

Exercise 16.1

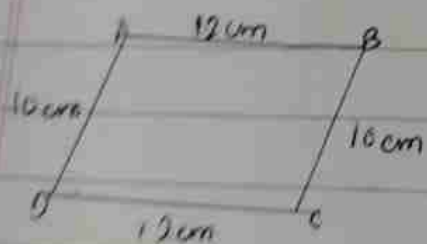
I Find the perimeter of each of the following



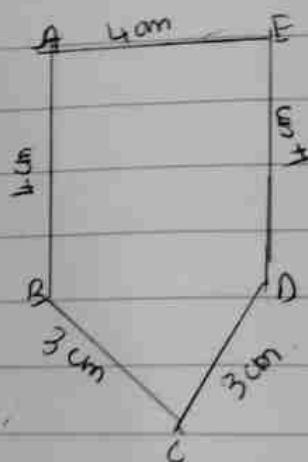
$\Rightarrow$ There are 8 sides of same length that is '2cm',
 $\therefore 8 \times 2 = 16 \text{ cm}$, Perimeter = 16 cm.



$$4 \text{ cm} \times 2 + 1 \times 2 + 2 \times 2 + 3 + 5 = 22 \text{ cm} = \text{Perimeter}$$



$$12 \times 2 + 10 \times 2 = 44 \text{ is the perimeter}$$



$$4 \times 2 + 3 \times 2 = 18 \text{ cm}$$

$\therefore$ Perimeter = 18 cm.

II complete the table given below for a rectangle.

	Length	Breadth	Perimeter
(a)	16 cm		
(b)			40 cm
(c)	18.5 cm	38 cm	180 cm
(d)	15.8 cm	9.5 cm	
			56 cm

a) Given,

$$\Rightarrow l = 16 \text{ cm}$$

$$b = ?$$

$$P = 40 \text{ cm}$$

$$P = 2(l + b)$$

$$40 = 2 \times 16 + 2b$$

$$2b + 32 = 40$$

$$2b = 40 - 32$$

$$b = \frac{8}{2} = 4 \text{ cm}$$

b) Given,

$$\Rightarrow l = ?$$

$$b = 38 \text{ cm}$$

$$P = 180 \text{ cm}$$

$$P = 2(l + b)$$

$$180 = 2l + 76$$

$$2l + 76 = 180$$

$$2l = 180 - 76$$

$$2l = 104$$

$$l = \frac{104}{2} = 52 \text{ cm}$$

Ex 1: given:

$$\begin{aligned} 42.6 \\ - 24.0 \\ \hline 18.6 \end{aligned}$$

Extra: perimeter:

given:
 $l = 12 \text{ cm}$
 $b = ?$

$$P = 2(l+b) \quad 42.6 \text{ cm}$$

$$42.6 \text{ cm} = 2(12+b)$$

$$42.6 = 24 + 2b$$

$$2b + 24 = 42.6$$

$$2b = 42.6 - 24.0$$

$$b = \frac{18.6}{2} = 9.3$$

c) $l = 18.5 \text{ cm}$
 $b = 9.5 \text{ cm}$

$$P = ?$$

$$P = 2(l+b) \text{ cm}$$

$$P = 2(18.5 + 9.5) \text{ cm}$$

$$= 2 \times 28 \text{ cm}$$

$$= 56 \text{ cm} //$$

d) $l = 15.8 \text{ cm}$

$$b = ?$$

$$P = 56 \text{ cm}$$

$$P = 2(l+b)$$

$$56 = 2(15.8 + b)$$

$$2b + 31.6 = 56$$

$$56 = 2(15.8 + b)$$

$$56 = 2 \times 15.8 + b$$

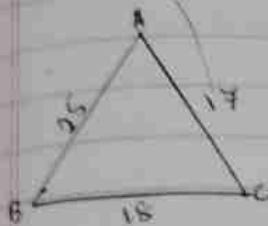
$$56 = 31.6 + 2b$$

$$2b + 31.6 = 56$$

$$2b = 56 - 31.6$$

$$b = \frac{24.4}{2} = 12.2$$

- III The sides of a triangular park are 25 m, 18 m and 17 m. Find the total distance travelled by a man after completing 3 rounds of this park?



$$\begin{aligned}\text{Perimeter} &= AB + BC + CA \\ &= 25 + 18 + 17 \\ &= 60 \text{ m}\end{aligned}$$

- IV ~~$l = 250 \text{ m}$~~ ~~$b = 145 \text{ m}$~~ The length and breadth of a rectangular field is garden is 250 m and 145 m. ~~$P = 2(l+b)$~~ Find the cost for fencing the garden at the rate of ₹ 4.50 per metre.

$$\Rightarrow l = 250 \text{ m}$$

$$b = 145 \text{ m}$$

$$P = 2(l + b) \text{ m}$$

$$P = 2(250 + 145)$$

$$\text{Cost} = 500 + 290$$

Exercise

10.2

- I Find the cost of levelling a garden with a length of 42m and a breadth of 35m at the rate of ₹ 40

⇒ Given,
 $l = 42\text{m}$
 $b = 35\text{m}$

$$\begin{aligned}\text{Area of rectangle} &= l \times b \text{ m}^2 \\ &= 35 \times 42 \text{ m}^2\end{aligned}$$

$$A = 1470 \text{ m}^2$$

$$\begin{aligned}\text{Rate} &= A \times \text{Rs } 400 \\ &= ₹ 58,800\end{aligned}$$

//.

- II The area of a rectangle is 180 m^2 . If its length is 18 cm, find its breadth and perimeter.

⇒ $A = 180 \text{ m}^2$

$$l = 18 \text{ m}$$

$$b = ?$$

$$P = ?$$

$$A = l \times b$$

$$180 = 18 \times b$$

$$180 = 18b$$

$$b = \frac{180}{18}$$

$$b = 10 \text{ m}$$

$$\therefore P = 2(l+b) \text{ m}$$

$$P = 2(18+10) \text{ m}$$

$$P = 56 + 20 \text{ m}$$

$$56 + 20 = 76 \text{ m}$$

III A room is 18 m long and 10 m broad. Find the cost of carpeting the floor at the rate of ₹ 650 each m^2 ?

$$\Rightarrow l = 18 \text{ m}$$

$$b = 10 \text{ m}$$

$$A = l \times b$$

$$A = 18 \times 10 \text{ m}^2$$

$$A = 180 \times ₹ 650$$

$$\text{Cost} = ₹ 84,500 \text{ m}^2$$

II. A rectangle is 56 m long and 25 m broad. Find the side of a square whose area is equal to the area of this rectangle.

$$\Rightarrow l = 56 \text{ m}$$

$$b = 25 \text{ m}$$

$$\begin{aligned}\text{Area of rectangle} &= l \times b \\ &= 56 \times 25 \text{ m}^2 \\ &= 900 \text{ m}^2\end{aligned}$$

$$\text{Area of square} = s^2$$

$$\text{Given Area of rectangle} = \text{Area of square}$$

$$\therefore 900 = s^2 \text{ m}^2$$

$$s = \sqrt{900} \text{ m}^2$$

$$s = 30 \text{ m}$$

III. What happens to the area of the square when its side is a) Halved, b) doubled?

$\Rightarrow$ a) Halved

$$\text{Area of square} = s^2$$

If side is halved

$$\therefore \text{New side} = \frac{s}{2}$$

$$\therefore A = \left(\frac{s}{2}\right)^2 = \frac{s^2}{4}$$

one-fourth of original area

b) doubled

$$A = S^2$$

$$\text{New length} = 2S$$

$$\therefore A = (2S)^2$$

$$= 4S^2$$

four times original area.

II How many stamps of side $2\text{ cm} \times 1.5\text{ cm}$ can be pasted on a sheet of paper of size $6\text{ cm} \times 12\text{ cm}$?

$\Rightarrow$ Area of one stamp

$$= 2\text{ cm} \times 1.5\text{ cm} = 3\text{ cm}^2$$

$$A = l \times b$$

$$= 2\text{ cm} \times 1.5\text{ cm} = 3\text{ cm}^2$$

$$\text{Area of paper} = l \times b$$

$$= 6\text{ cm} \times 12\text{ cm}$$

$$= 72\text{ cm}^2$$

$$\text{No of shapes} = \frac{\text{Area of paper}}{\text{Area of one stamp}}$$

$$= \frac{72}{3}$$

$$= 24$$

$$= 24 \text{ stamps}$$

Q. How many tiles, each measuring 5m by 4m, are required to cover a rectangular room whose length and breadth are 45m and 24m respectively? Find the cost of tiles at ₹ 65 per tile?

$$\begin{aligned}\Rightarrow \text{Area of room} &= l \times b \\ &= 45 \text{m} \times 24 \text{m} \\ &= 1080 \text{m}^2\end{aligned}$$

$$\begin{aligned}\text{Area of one tile} &= l \times b \\ &= 5 \text{m} \times 4 \text{m} \\ &= 20 \text{m}^2\end{aligned}$$

$$\begin{aligned}\text{No of tiles required} &= \frac{\text{area of room}}{\text{area of 1 tile}} \\ &= \frac{1080}{20} = 54 \text{ tiles}\end{aligned}$$

$$\begin{aligned}\text{Cost of 54 tiles} &= 54 \times ₹ 65 \\ &= ₹ 1890 \text{ //}\end{aligned}$$

classmate
Date _____
Page _____

lec-12 understanding elementary shapes

I Introduction :- summary :-

* Introduction :-

A line segment is a part of a line.

* Comparison by using a divider :-

A divider [Fig. 12.2(a)] is a geometrical instrument that has two arms hinged together with the help of a knob at one end.

* PAIRS OF LINES :-

There are 4 pairs of lines :

1. Intersecting lines.
2. Parallel lines
3. Skewed lines
4. Perpendicular lines.

* INTERSECTING LINES :-

In figure (12.6), lines AB and CD intersect each other at point (O). Such lines are called intersecting lines.

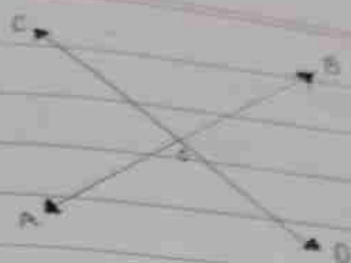


Fig. 12.6

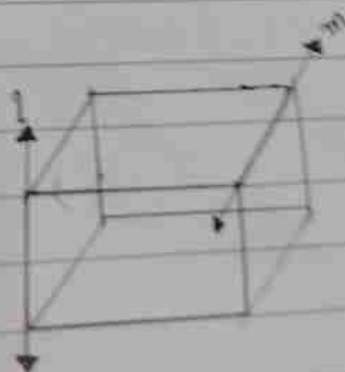
* PARALLEL LINES :-

In figure 12.7, lines AB and CD never meet each other at any point, i.e., they are equidistant from each other at each every point. Such lines are called parallel lines.



* SKEWED LINES :-

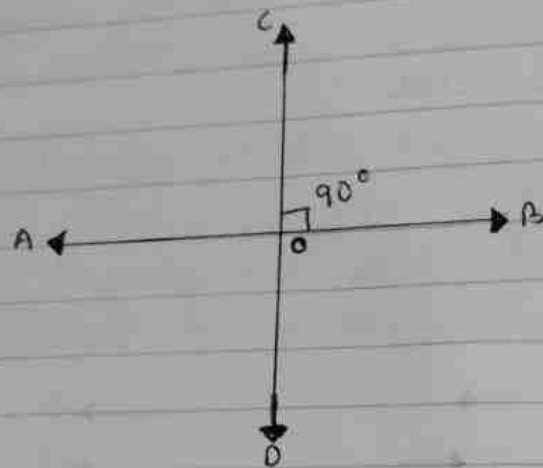
In figure Two lines in two different planes that are neither parallel nor intersecting are called skewed lines.



classmate
Date _____
Page _____

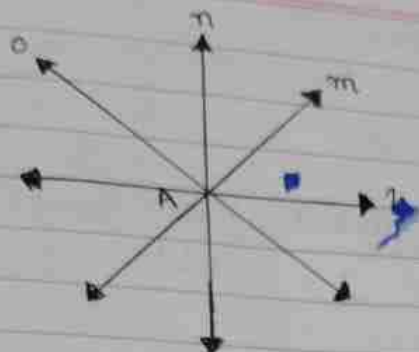
* PERPENDICULAR LINES :-

Two lines in a plane, which intersect each other and form an angle of 90° , i.e., the right angle are called perpendicular lines.



* CONCURRENT LINES :-

Two or more lines that pass through the same point are called concurrent lines and the point of intersection is called the point of concurrency.



* TYPES OF ANGLES :-

There are 4 types of angles:

1. Acute angle.
2. Right angle
3. Obtuse angle
4. Straight angle.
5. Reflex angle
6. Complete angle
7. Zero angle.

* ACUTE ANGLE :- An angle whose measurement is less than 90° is known as acute angle.

* RIGHT ANGLE :- An angle whose measure is 90° is called a right angle.

* OBTUSE ANGLE :- An angle whose measure is greater than 90° is called an obtuse angle.

* STRAIGHT ANGLE :- An angle whose measure is 180° is a straight angle.

* REFLEX ANGLE :-
An angle whose measure is more than

180° is called as reflex angle.

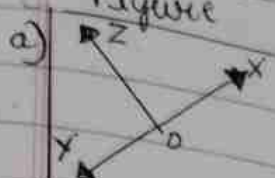
* COMPLETE ANGLE :- An angle whose measure is 360° is a complete angle.

* ZERO ANGLE :- An angle whose measure is zero degree (0°) is a zero angle.

Exercise
12.1

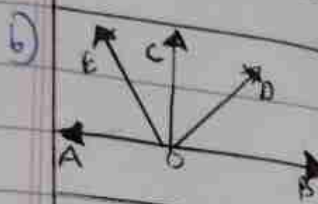
I Identify Figure

the slight and straight angles:-



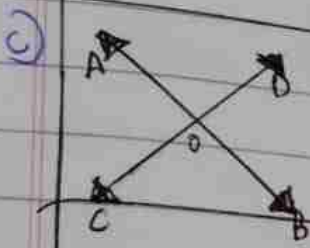
Right angle
 $\angle ZOX, \angle ZOY$

Straight angle
 $\angle XOY$



$\angle COA, \angle COB$

$\angle AOB$



—

$\angle AOB$

II What is the magnitude of the angle formed between 2 hands of the clock at following times

a) 3:30 - 75°

b) 3:00 - 90°

c) 1:30 - 135°

d) 7:00 - 210°

e) 12:00 - 0°

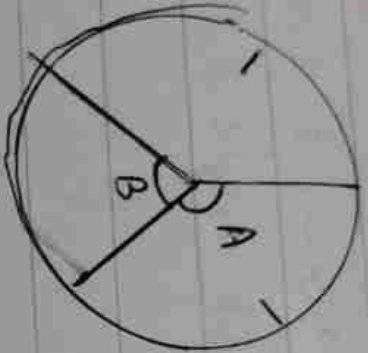
f) 04:00 - 120°

g) 01:00 - 30°

h) 08:00 - 240°

III Measure the unknown angles A and B in degrees

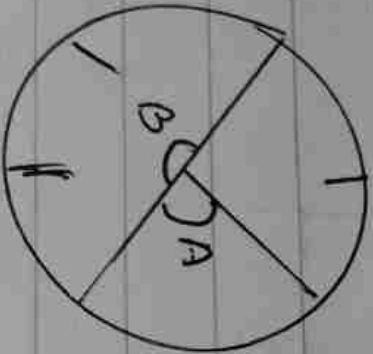
a)



$$\Rightarrow \angle A = \underline{120^\circ}$$

$$\angle B = \underline{120^\circ}$$

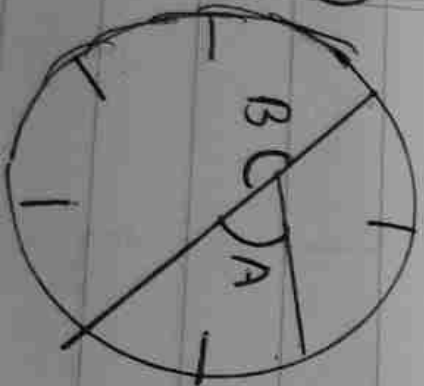
b)



$$\Rightarrow \angle A = \underline{60^\circ}$$

$$\angle B = \underline{180^\circ}$$

c)



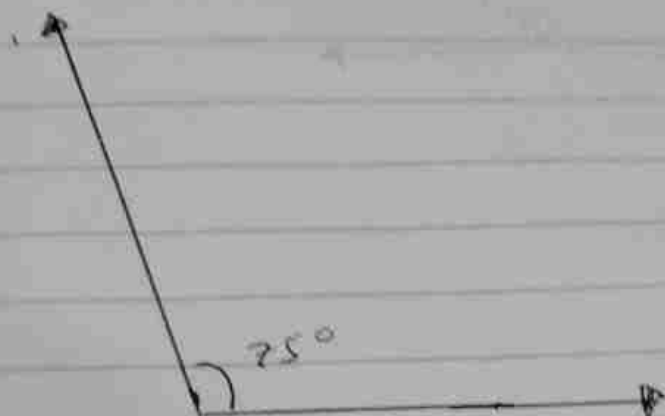
$$\Rightarrow \angle A = \underline{90^\circ}$$

$$\angle B = \underline{180^\circ}$$

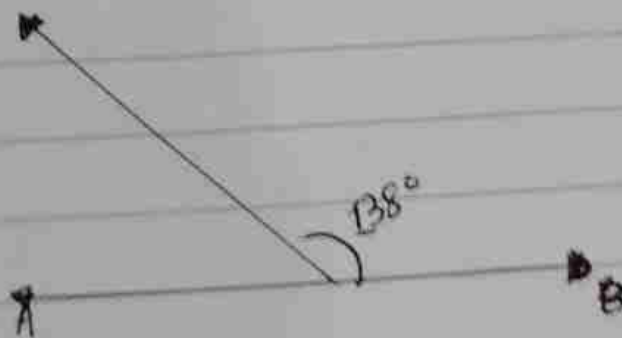
IV Draw and classify the following angles.

a) 75° :-

$\Rightarrow$ acute angle



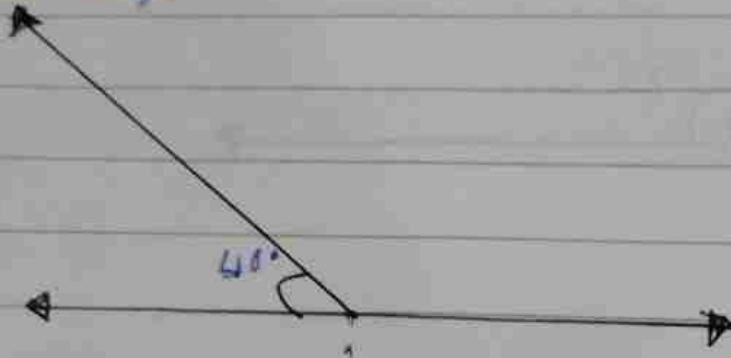
b) 138°
 $\Rightarrow$ obtuse angle.



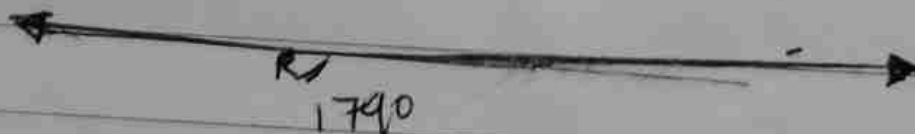
c) 190°
 $\Rightarrow$ Reflex angle

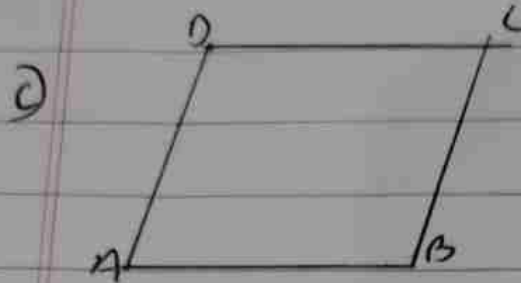


d) 40°
 $\Rightarrow$ acute angle



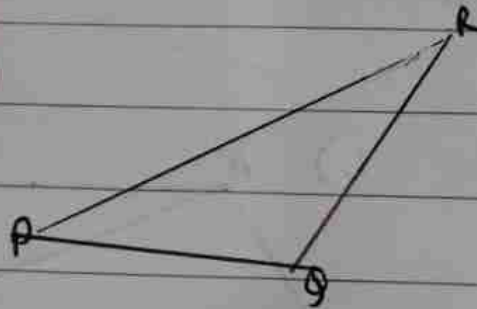
e) 179°
 $\Rightarrow$ obtuse angle





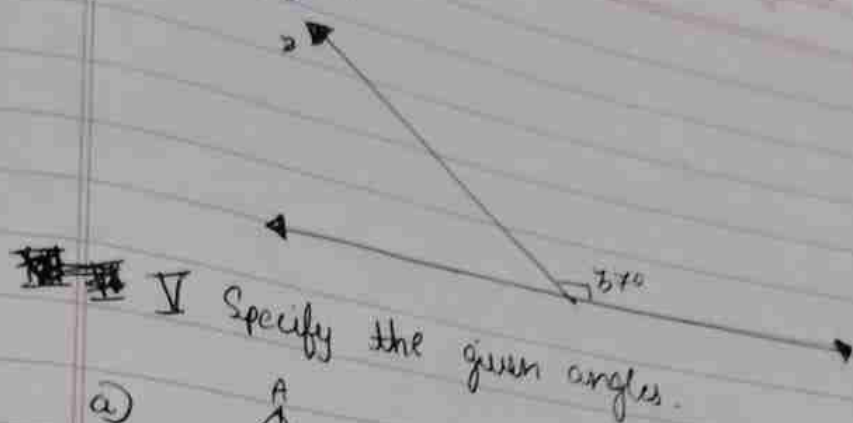
- 1) $\angle DAB =$ acute angle
- 2) $\angle ABC =$ obtuse angle

d)

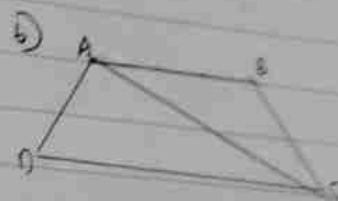
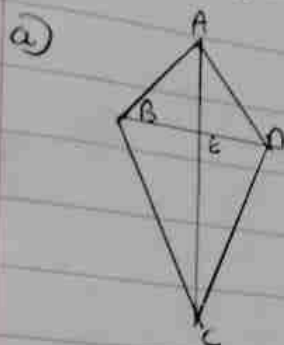


- 1) $\angle PQR =$ obtuse angle
- 2) $\angle PRQ =$ acute angle

n) 37°
acute angle.



~~IV~~ V Specify the given angles.



- 1) $\angle ADE = \text{acute}^{\circ}$
- 2) $\angle ABC = \text{obtuse}^{\circ}$
- 3) $\angle DEC = \text{right angle}$
- 4) $\angle AEC = \text{straight angle}$

- 1) $\angle ABC = \text{obtuse}$
- 2) $\angle ADC = \text{acute}$
- 3) $\angle ACD = \text{acute}$